



Scientific Computer Software

(*MatLab*)

Topic 4. Graphics in MatLab.
Topic 5. Interactive Graphics and features

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Contents:

Graphics objects (GO) :

- system and handle;
- descriptive GO ;
- GO as structure.

2D, 3D the graphics set using:

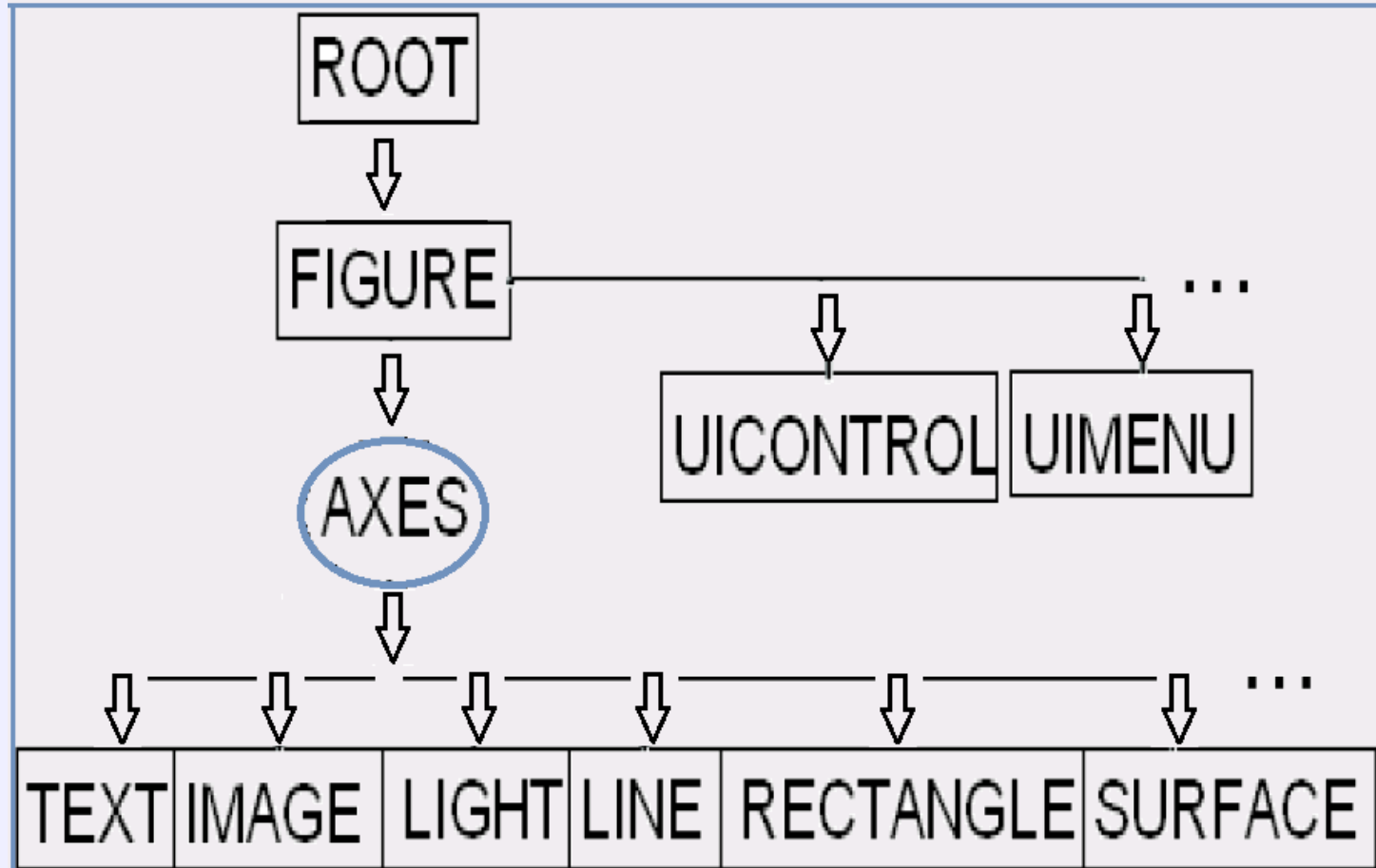
- by string or Symbolic form;
- in parametric form;
- an implicit function or handle function.

Graphic primitives :

- Line, Rectangle, *Surface*
- Text
- Image



The scheme of the hierarchy of classes of GO





Descriptors GO

Descriptors of current GP:

- **root** ~ 0 ~ Command Window
- **figure** ~ gcf ~ GraphicCurrentFigure (gcf – natural numbers, default – windows Figure are created sequentially)
- **axes** ~ gca ~ GraphicCurrentAxes (**handle** – user's objects)
- **gco** ~ GraphicCurrentObject

How to define possible properties:

set(0), set(gcf), set(gca), set(gco)

0, cgf, gca, gco – system descriptors

Setting properties:

set(0,'PropertyName',value)

Getting properties:

Value=get(0,'PropertyName')...



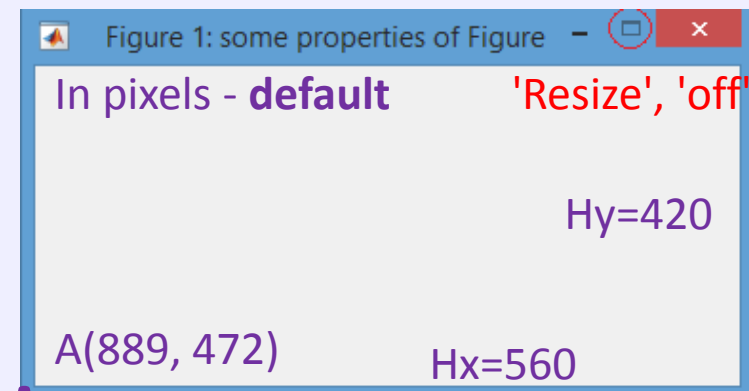
Figure properties

```
>>set(gcf) % myfigure - 1
    MenuBar: {'none' 'figure'}
    Name: { }
    Resize: {'on' 'off'}
    NextPlot: {'new' 'add' 'replace' 'replacechildren'}
    Units: {'inches' 'centimeters' 'characters' 'normalized' 'points'
'pixels'}
```

```
>> set(1, 'MenuBar', 'none', 'Resize', 'off', 'NextPlot', 'add', 'Name', ...
    'some properties of Figure') % 'NextPlot', 'add'~ hold on
```

```
>>sizefigure=get(gcf,'position')
    sizefigure = 889 472 560 420
>> r=get(0, 'screensize')
    r = 1 1 1920 1080
```

```
>>figurecolor=get(gcf, 'color') %[R G B]
    figurecolor= 0.9400 0.9400 0.9400
```





Multiple charts in one window

I. Plotting multiple graphs with a single function:

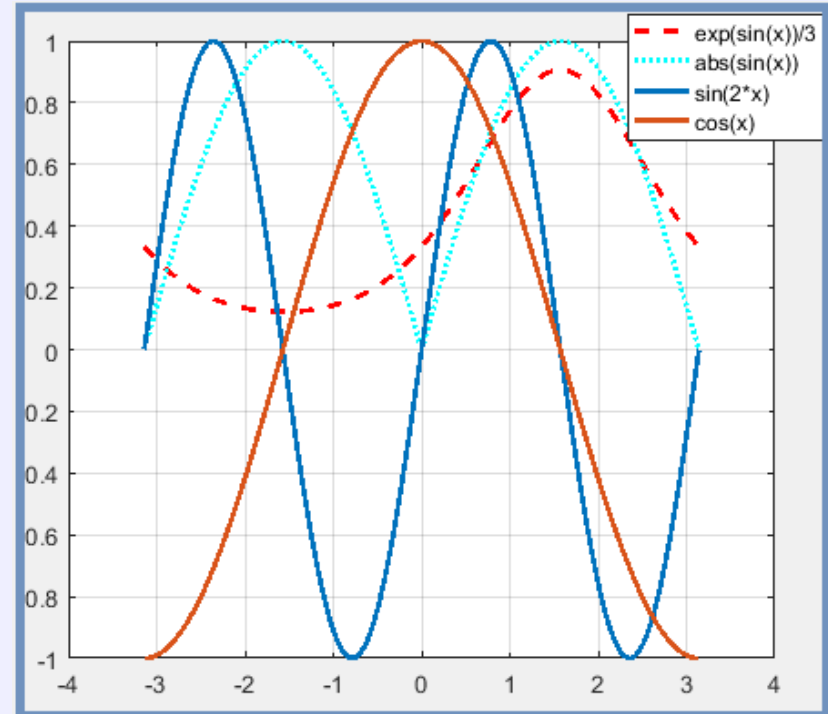
```
plot(x,g, lineSpec1,x,y, lineSpec2, x,f, ...) )
```

LineSpec - Color, linestyle, Marker ; lineSpec $\in$ Char (f.e., 'r--.') **???**

Explain!

```
gr3=plot(x,y,'r-',x,g,'b-.',x,f,'m:');
```

Example



II. The graphs are sequentially placed in the figure:

% Example Using char

```
clear; n=50; x=(linspace(-pi,pi,150))' % column  
y='exp(sin(x))/3'; y=eval(y); % evaluate char
```

```
r=plot(x,y,'r--') , hold on % 1-th way
```

```
g=abs(sin(x)); t=plot(x,g, 'c:'), % 2-th way
```

```
set([r,t],'linewidth',2);
```

```
M=[sin(2*x), cos(x)]; % M – matrix of columns (?)
```

```
p=plot(x,M), grid on % 3-th way
```

```
set(p,'linewidth',2);
```

```
legend('exp(sin(x))/3','abs(sin(x))', 'sin(2*x)', 'cos(x)')
```

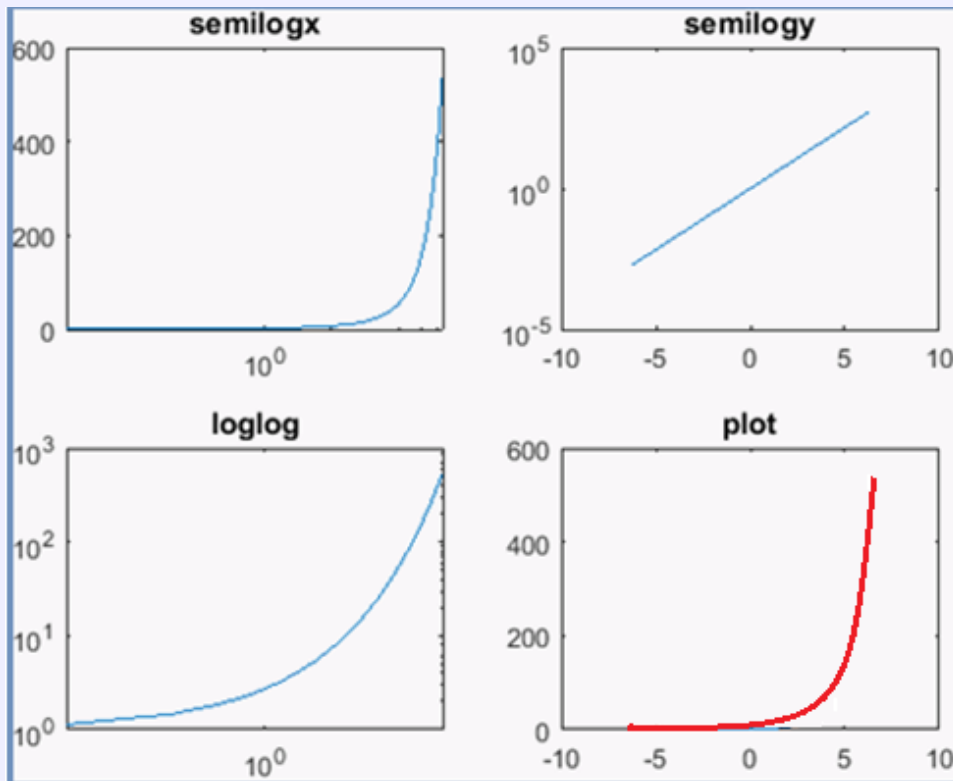
III. Vertical line with constant x-value:

xline(x) or xline(x,LineSpec,labels)



Taking into account the growth of functions

Logarithmic scale for a single axis or for all:



```
clear
n=50
x=linspace(-2*pi,2*pi,50)
% Logarithmic scale for single or for all axes:
figure % necessary?
y=exp(x);
```

% Question: Compare the three functions,
choose the best one (for this example),
% Title of each window is the
% plotting function

```
subplot(2,2,1), semilogx(x,y), title('semilogx')
subplot(2,2,2), semilogy(x,y), title('semilogy')
subplot(2,2,3), loglog(x,y), title('loglog'),
subplot(2,2,4), hll=plot(x,y), hll.Color='red',
```

Remember that the function **set** and **get** fields are case-free :

```
>>set(hll, 'color ', 'red ')
```

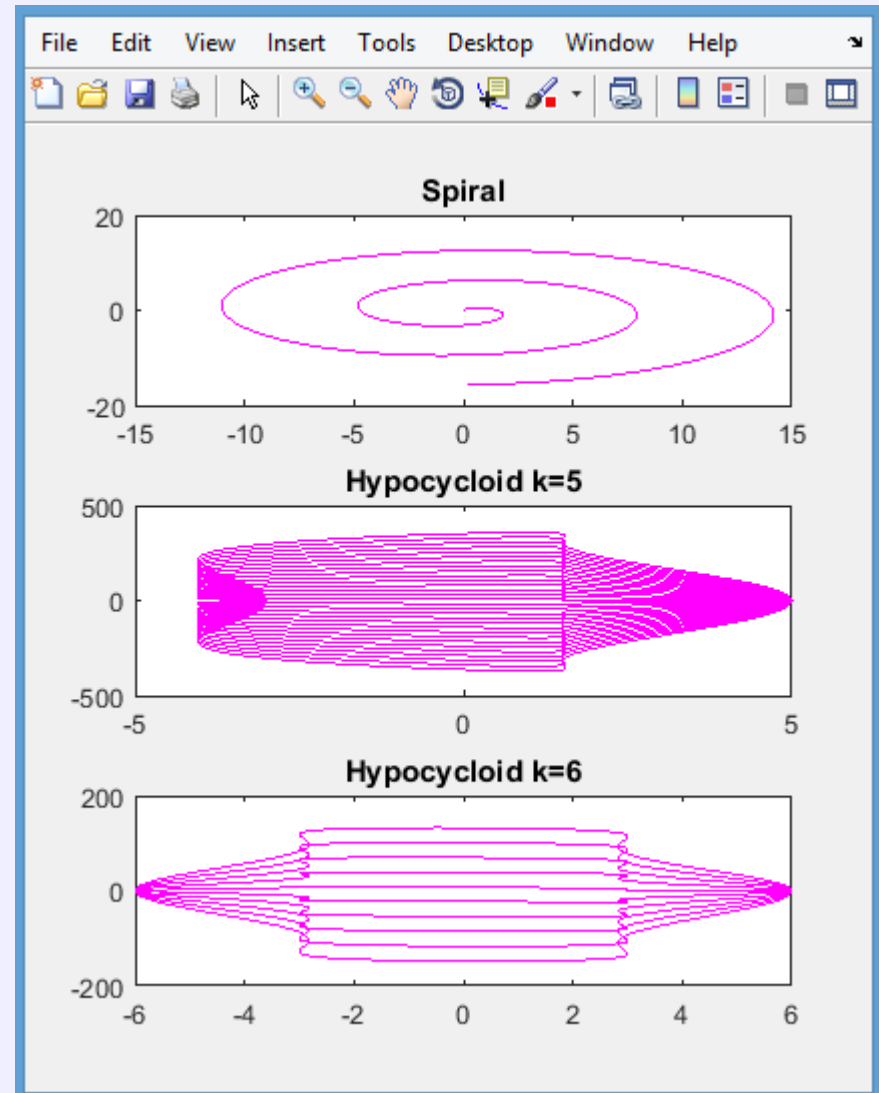


Graphs of functions defined parametrically

```
subplot(3,1,1); t=0:0.01:5*pi;  
x=t.*sin(t); y=t.*cos(t);  
plot(x,y,'m-'), title('Spiral')
```

```
subplot(3,1,2); t=0:0.01:30*pi;  
k=5; r=1;  
x = (k-1)*r*cos(t) + r*cos((k-1)*t);  
y = (k-1)*t.*sin(t) - r*sin((k-1)*t);  
plot(x,y,'m-'), title('Hypocycloid k=5')
```

```
subplot(3,1,3); t=0:0.01:10*pi;  
k=6; r=1;  
x = (k-1)*r*cos(t) + r*cos((k-1)*t);  
y = (k-1)*t.*sin(t) - r*sin((k-1)*t);  
plot(x,y,'m-'), title('Hypocycloid k=6')
```





Graphs of functions given in polar coordinates

polar(THETA, RHO, S)

POLAR , EZPOLAR

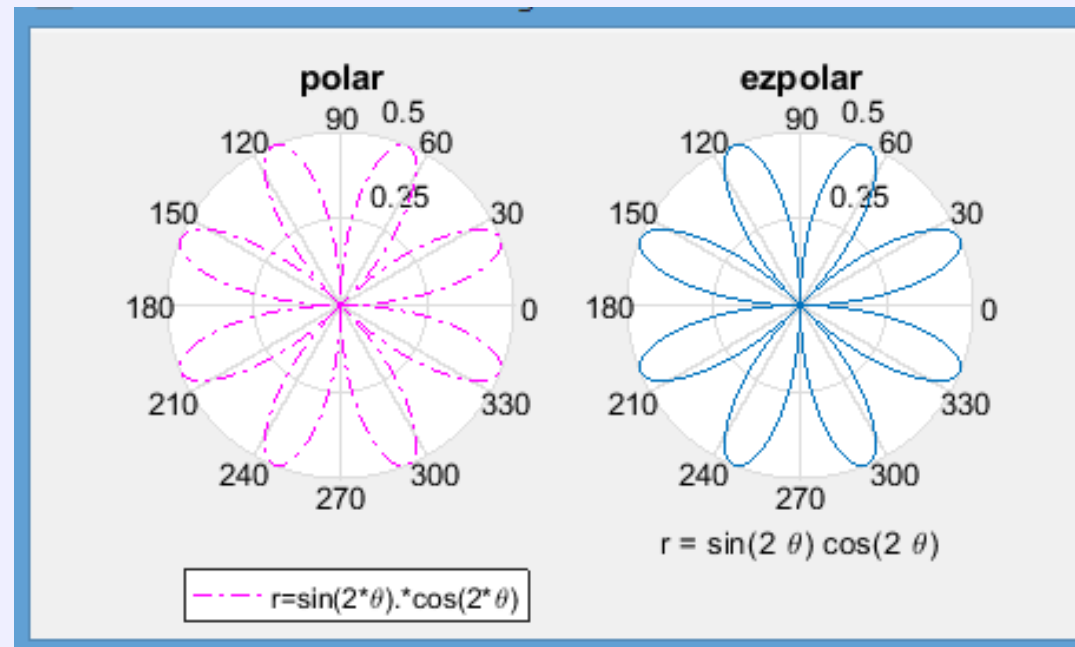
figure

```
theta = 0:0.01:2*pi;
```

```
rho = sin(2*theta).*cos(2*theta);
```

```
subplot(1,2,1), polar(theta,rho, 'm-.'),  
legend('sin(2*\theta).*cos(2*\theta)')  
title('polar')
```

```
subplot(1,2,2),  
ezpolar('sin(2*theta).*cos(2*theta)'),  
title('ezpolar')
```



polar – for new ML versions!!!
pollarplot – old!

Parameters of EZPOLAR – CHAR or Symbolic



Primitives: Line. 3D Line~plot3

title(...) -

sgtitle(...) – title for subplot

figure

title('3D plot')

sgtitle('3D and XOY - projection')

X=sort(3*rand(1,1000));

Y=sort(2*rand(1,1000));

subplot(2,1,1)

h=line(X,Y,'linewidth',2); grid on

Z=sin(X).*exp(Y); ? **Explain!**

subplot(2,1,2)

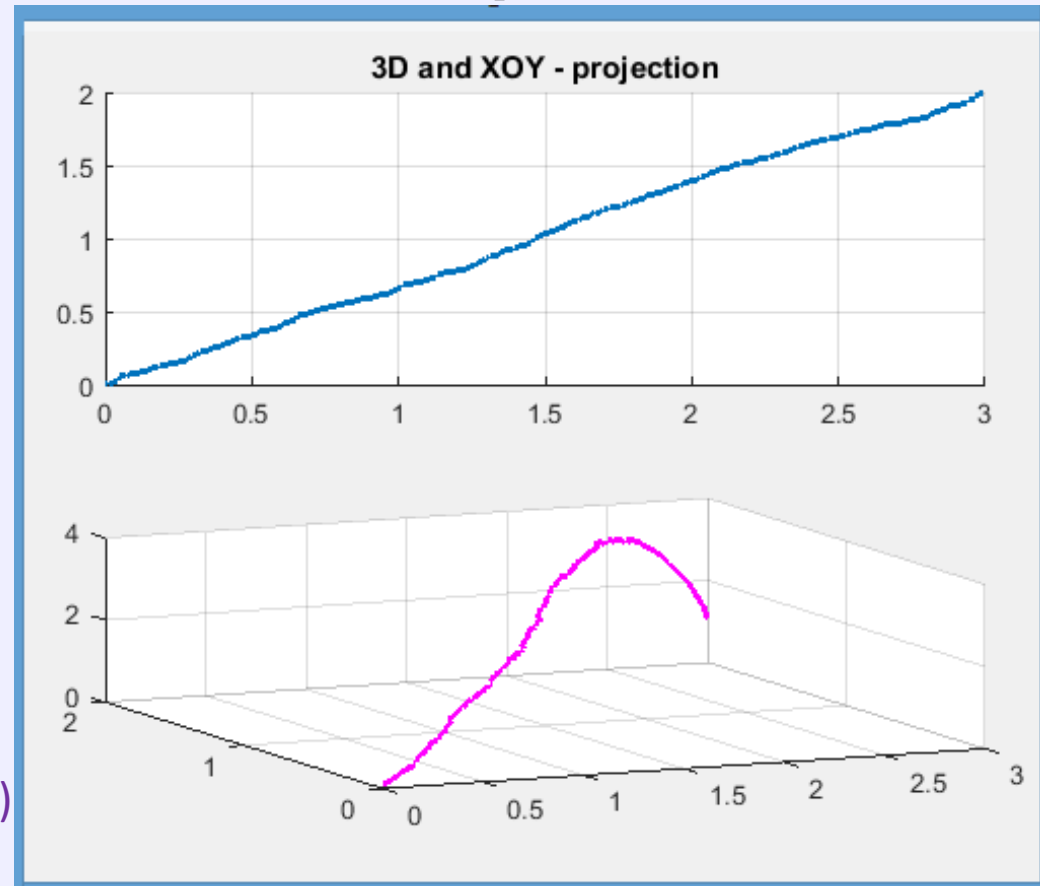
plot3(X,Y,Z,'linewidth',2,'color','magenta')

polyline 3d (try rotate)

grid on

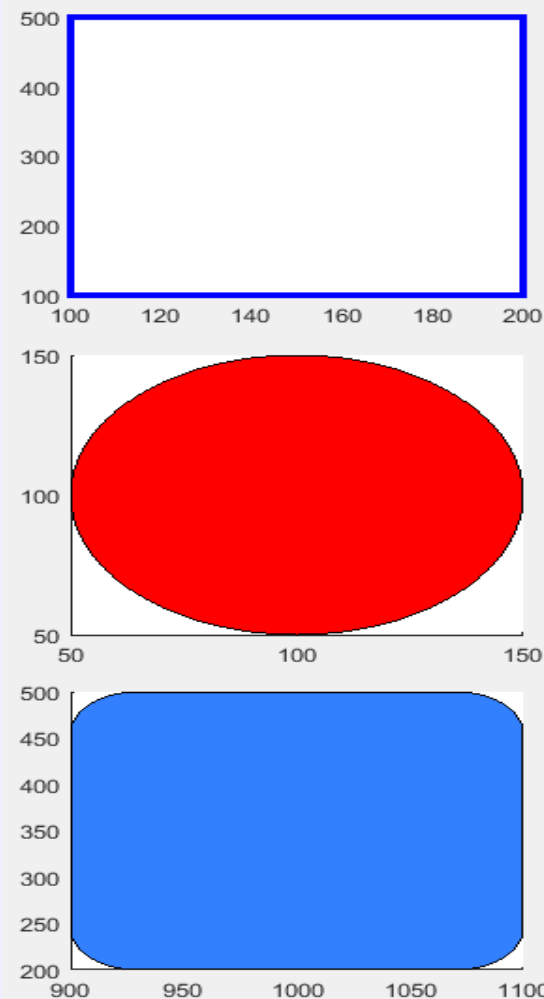
plot3(X,Y,Z) % 3d - line (try rotate!)

3D plot





Primitive: Rectangle.



'Curvature' = {[0 0] – Rectangle; [1 1] – ellipse; [k,r] – rounded vertices, $0 < k, r < 1$ }

- 1) figure
- 2) subplot(3,1,1)
- 3) rectangle('Curvature',[0 0],'Position',[100 100 100 400],...
'EdgeColor', 'blue', 'linewidth', 3) %creates a rectangle
- 4) subplot(3,1,2)
- 5) rectangle('Curvature',[1 1],'Position',[50 50 100 100],...
- 6) 'facecolor', 'red') %creates an ellipse, circle
- 7) subplot(3,1,3)
- 8) g=rectangle('Curvature',[.3 .3],'Position',[900 200 200 300],...
- 9) 'facecolor',[0.2 0.5 1]) % creates a rectangle with rounded corners
- 10) get(g) % Study the properties of the primitive!

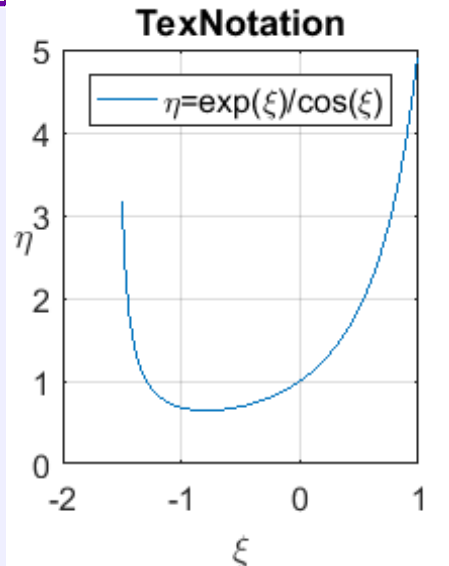
rectangle() % creates a square of unit length

axis square % you need to insert this command after line 6, the elongation will disappear.



Using Notation of LaTeX.

Color filling function - fill



1) `x=-1.5:0.03:1; y=exp(x)./cos(x) % x-radian`

2) `plot(x,y);`

%% Graphic design:

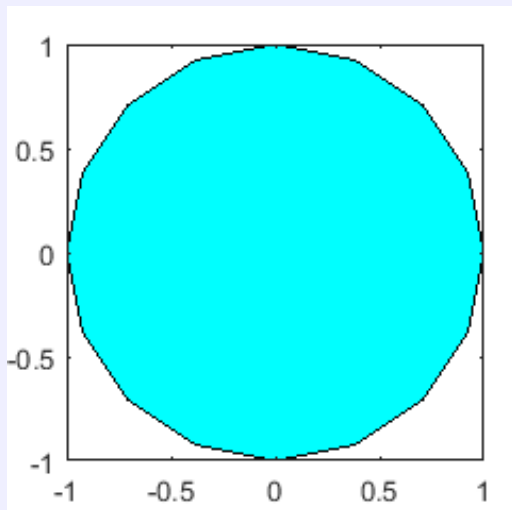
2) `lg=legend('\eta=exp(\xi)/cos(\xi)'), set(lg,'fontsize',12);`

3) `t=title('TexNotation');`

4) `xi=xlabel('\xi','fontname','latex')`

5) `eta=ylabel('\eta','fontname','latex');` % set(eta,'rotation',90)

6) `set(gca,'fontsize',12) % text writing of 12pt`



1) `t = (1/16:1/16:1)*2*pi; x = cos(t); y = sin(t);`

%% Create a closed figure and fill by cyan function:

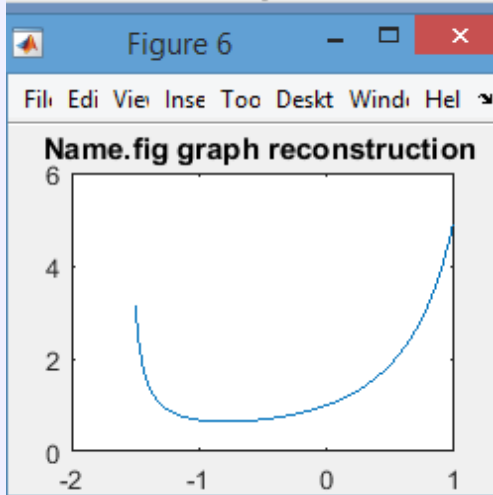
2) `fill(x,y, 'c') % fills in a closed line with color`

3) `axis square % the effect of elongation of the screen is removed`



Import - hgload! *.fig – data source!

Before



After

- 1) `hfig = hgload('Name.fig')` % load Name.fig in Folder
- 2) `figure(hfig);` % visualization
- 3) `haxe=get(hfig,'Children')` % Graphs!
%% **haxe** contains single **line** – the same approach for multiple lines
- 5) `ChAxes=get(haxe,'Children')`% **line finding!**
- 6) `x=get(ChAxes(2),'XData');` % X-coordinates of line
- 7) `y=get(ChAxes(2),'YData');` % Y-coordinates of line
- 8) `figure, plot(x,y)` % **check line!**
- 9) `title('name.fig graph reconstruction')`

CHaxes =

2×1 cell array

[0×0 GraphicsPlaceholder]

[1×1 Line]



fplot(Fun,Limits,lineSpec) -

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Fun – anonymous function, has *function_handle* type and contains the single the executable operator

Limits – function definition interval

lineSpec – the specifier: *Color, LineStyle, Marker*; *lineSpec* $\in$ Char (f.e., 'm--*') – repeat!

Example:

```
subplot(1,2,2)
```

```
f = @(x,n) exp(sin(n*x))*cos(x);
```

```
fplot(@(x)f(x,10),[0 2*pi],'r','linewidth',1.5)
```

Warning: Function fails on array inputs. Use element-wise operators to increase speed

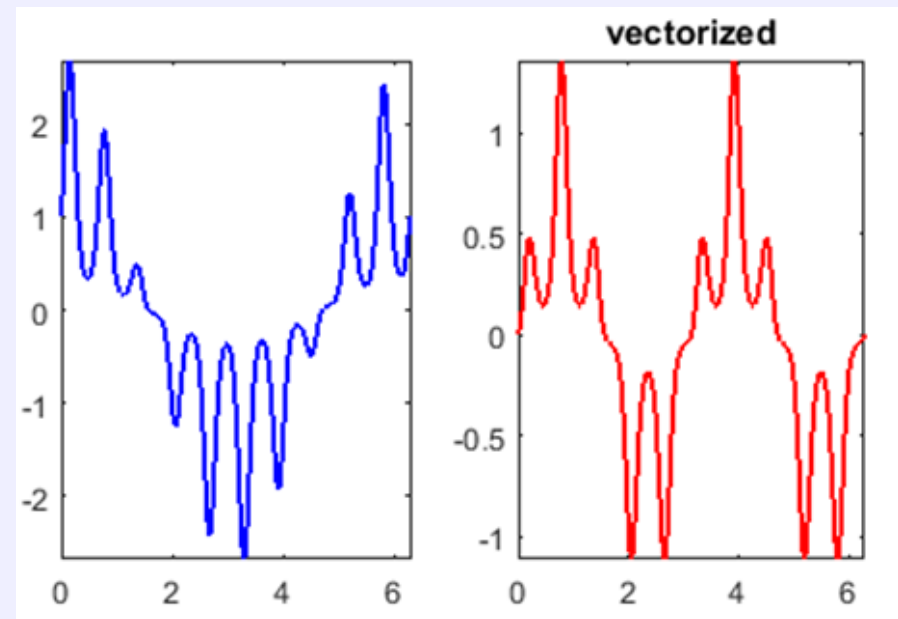
% % Vector or element-by-element operations:

```
subplot(1,2,1)
```

```
f = @(x,n) exp(sin(n*x)).*cos(x).*sin(x);
```

```
fplot(@(x)f(x,10),[0 2*pi],'r','linewidth',1.5)
```

```
title('vectorized')
```





ezplot(Fun,Limits,lineSpec) fimplicit ~ implicitplot (anonymous,...)

%% ezplot; fplot - for new versions!!!

figure

```
r=ezplot('x^2+(y-abs(x)^(1/2))^2=1'), hold on, grid on
set(r,'linewidth',3,'color','red'); title(' ')
```

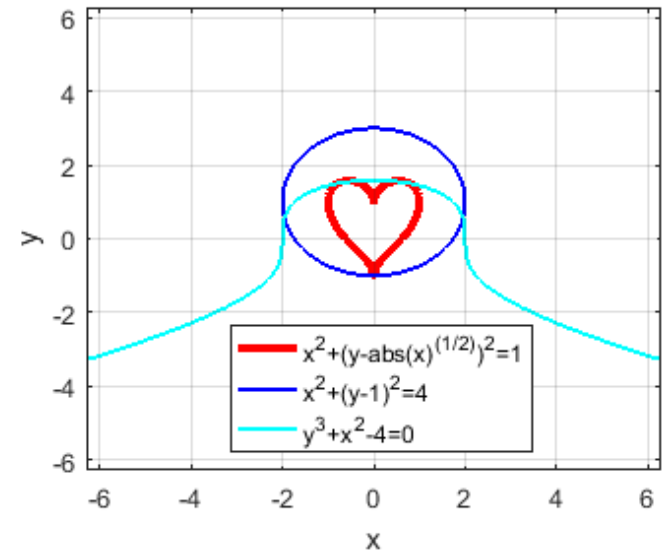
% the line of the first function with a descriptor is automatically placed in the header $r \rightarrow \text{title(' ')}$

```
rf=ezplot('x^2+(y-1)^2=4',[-3,3]); title(' ')
```

```
ra=ezplot(@(x,y) y^3+x^2-4);
```

```
set(ra,'linewidth',1.5,'color','cyan'); title(' ');
```

```
legend('x^2+(y-abs(x)^(1/2))^2=1',...
      'x^2+(y-1)^2=4','y^3+x^2-4=0')
```



%% **implicitplot - (New!!!)**

% For function $f(x,y) = 0$

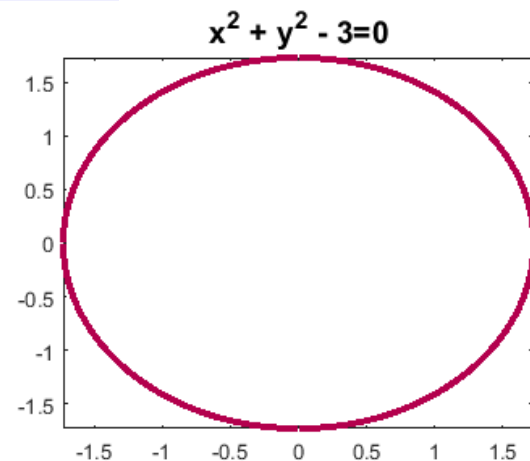
figure

```
fp = fimplicit(@(x,y) x.^2 + y.^2 - 3)
```

```
fp.LineWidth = 3 % Important
```

```
fp.Color=[0.7 0 0.3] % Register!
```

```
title('x^2 + y^2 - 3=0','fontsize',14)
```





Primitive Text: `text(x,y,characteristic,opts)`

%% I.TEXT . Extreme points are added:

```
x = linspace(-2,3); % 100 point - default
y = 3*x.^3-6*x.^2; % vectorized!
plot(x,y,'c-','linewidth',1.5) % the simplest way
```

%% The inscription about the zero derivative
is set by evaluating visually:

```
xt = [-0.2 1.5]; yt = [5 -7]; str = 'dy/dx = 0';
text(xt,yt,str,'fontsize',12), hold on
% may be will add something?!
```

%% II.TEXT. Conditions for min and max:

```
% yim1<yi,yi>yip1 yim1>yi,yi<yip1 % yim1~ yi minus 1
% yim1 ~ y_{i-1}; yi~y_i; yip1~y_{i+1}
```

% reserve array for min and max finding :

```
yi=y(2:end-1) ; yip1=y(3:end); yim1=y(1:end-2)
% notations: yi=y_{i}; yim1= y_{i-1}; yip1=y_{i+1}
%in curly brackets indexes in notation Latex, not forMatLab!
```

% III.TEXT – Find and note extreme points:

```
trmax=and(yim1<yi,yi>yip1) %max condition
indexmax=find(trmax)
```

```
trmin=and(yim1>yi,yi<yip1) %min condition
```

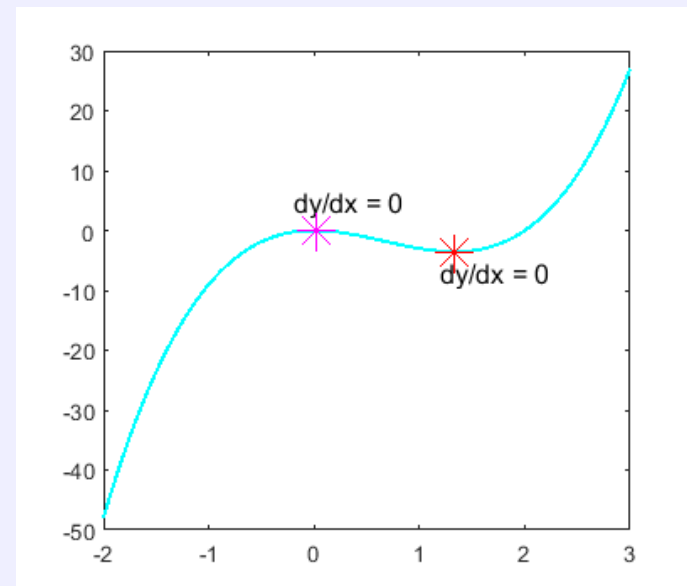
```
indexmin=find(trmin) % here single min
```

```
xmin=x(indexmin+1)% min
```

```
ymin=y(indexmin+1); plot(xmin,ymin,'r*','markersize',16)
```

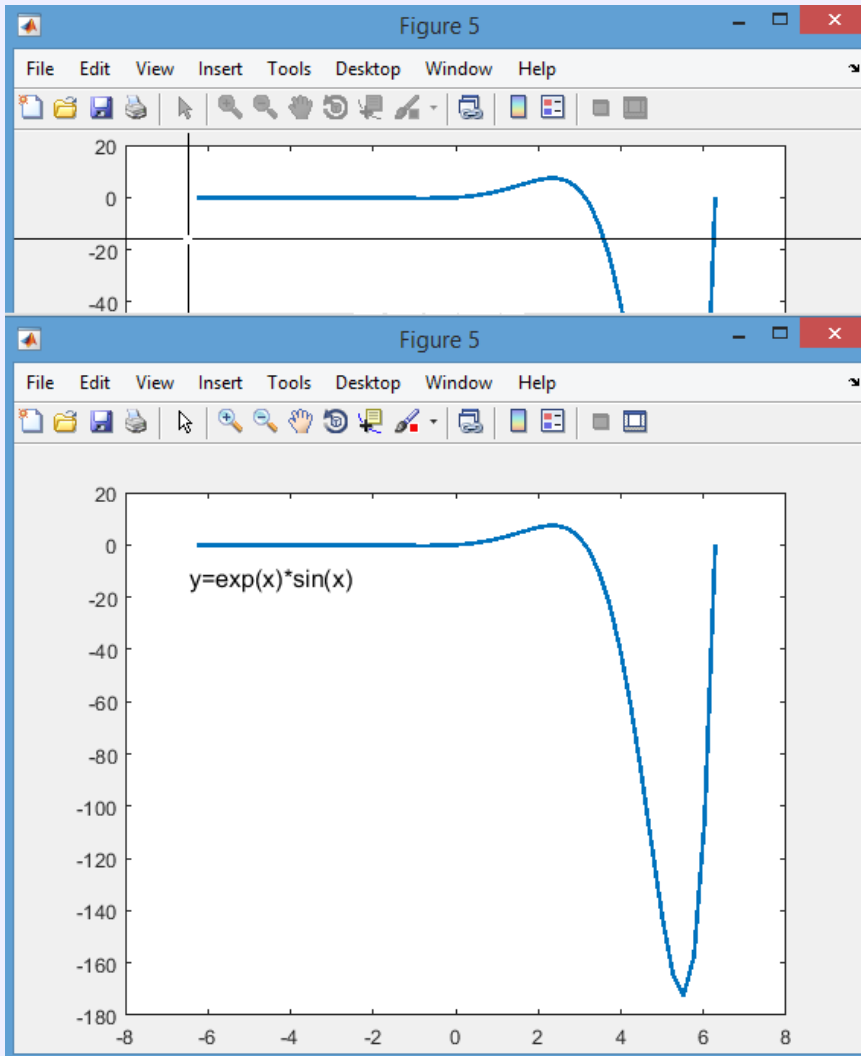
```
xmax=x(indexmax+1)% max
```

```
ymax=y(indexmax+1); plot(xmax,ymax, 'm*','markersize',16)
```





Interactive GTEXT



Given as Char

% Using char

n=50;

x=linspace(-2*pi,2*pi,n);

y='exp(x)*sin(x)';

% or y='exp(x).*sin(x)'; eval(y);

plot(x,eval(vectorize(y)),'linewidth',2)

%% interactive choice:

gtext('y=exp(x)*sin(x)','fontsize',12)

Some other ways for plot

x=linspace(-2*pi,2*pi,50)

y='exp(x).*sin(x) '
y=eval(y);

~

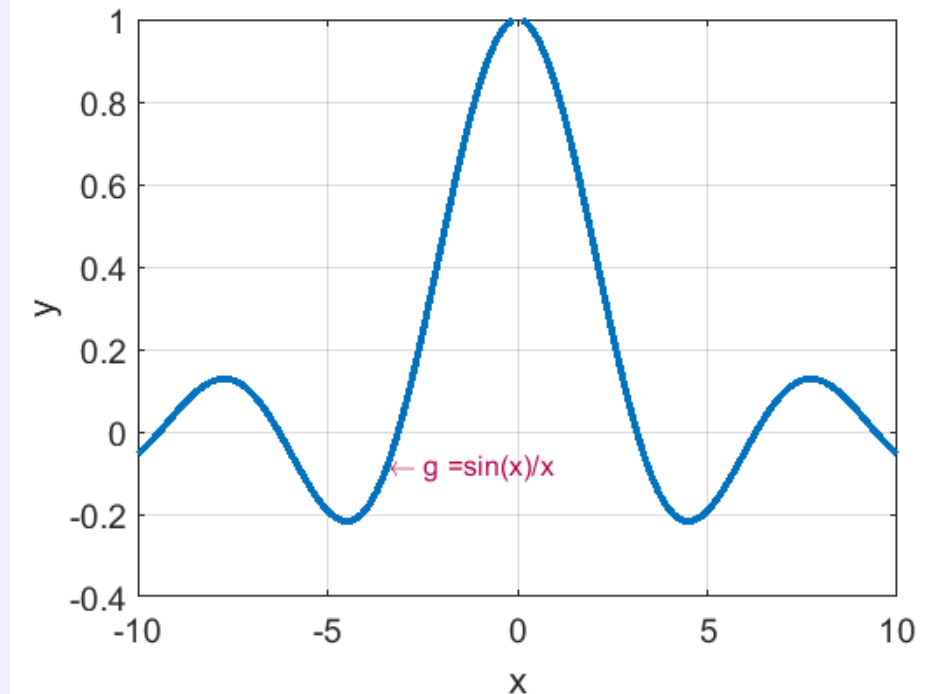
y=exp(x).*sin(x)



Explanations for graph

```
clear
x=-10:0.1:10;
g='sin(x)/x'; % characteristics
% evaluate string:
f=eval(vectorize(g));
n=length(x);
p1=plot(x,f);
set(p1,'linewidth',3);
%% Why n/3?
t=text(x(fix(n/3)), f(fix(n/3)),...
      '\leftarrow g =sin(x)/x');
t.FontSize=12 % Remember - Register!
t.Color=[0.7  0.0  0.3] % [r g b]
set(gca,'fontsize',14)% all text of gca is (14pt)!
```

```
grid on %
xlabel('x')
ylabel('y')
```



rounding up:

fix – округляет в направлении нуля
round – округляет к ближайшему целому
floor – округляет в направлении $-\infty$
ceil – округляет к в направлении $+\infty$



Surface. Constructors MESH и SURF

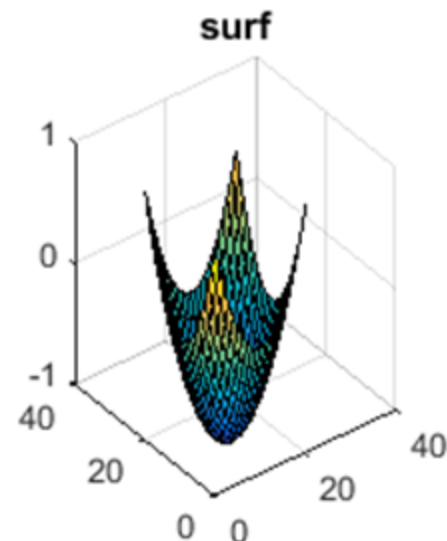
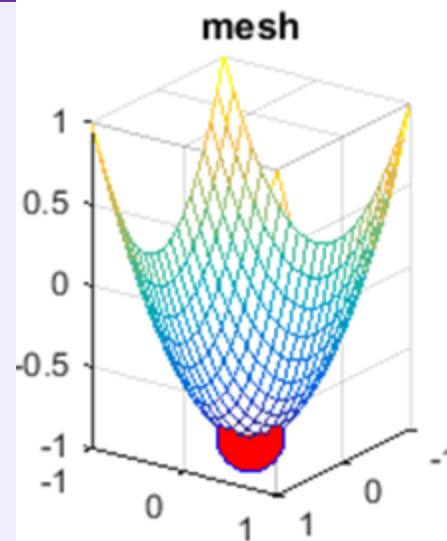
%% Grid creation in XOY:

- 1) `[X,Y]=deal(-1:0.1:1); [XX,YY]=meshgrid(X,Y); % grid points XOY`
- 2) `Z=XX.^2+YY.^2-1; % vectorized surface function`
- 3) `[minzJ,Jmin]=min(min(Z)); % minzJ - minValue in column Jmin of Z`
- 4) `[minzl,lmin]=min(min(Z')); % minzl - minValue minzl in lmin row of Z`
- 5) `minzJJ=min(Z); [minValueJ,Jmin]=min(minzJJ);`
- 6) `subplot(1,2,1); rm=mesh(XX,YY,Z); title('mesh'); % see, using full size of window`
- 7) `hold on; Xmesh=get(rm,'xdata'); Ymesh=get(rm,'ydata'); Zmesh=get(rm,'zdata');`
- 8) `r=plot3(XX(lmin,Jmin),YY(lmin,Jmin),minValueJ,'bO'); % minimal Value`
- 9) `set(r,'markersize',20,'MarkerFaceColor','red');`
- 10) `subplot(1,2,2), surf(Z), title('surf')`

Result after rotation is in window mesh

mesh – transparent grid;

surf – not a transparent grid;



`[X,Y]=deal(a1:step1:b1, a2:step2:b2)` – одномоментное присваивание



Functions fmesh, fsurf in class SYMBOLIC, mesh, surf - Double. Examples

1-th: symbolic

```
clear, syms x y  
z=@(x,y)x.^2.*y, s=diff(z,1,x)  
fsurf(z), hold on  
it isn't possible change to ColorMap!  
r=fsurf(s,'FaceColor','interp','EdgeColor',[1 0 0])  
legend('z','zprime')
```

2-th: numeric

```
clear, clf % clean figure  
[x,y]=deal(0:0.05:1); [x,y]=meshgrid(x,y)  
[n,m]=size(x), z=x.^2+y.^2-1  
s=diff(z,1), surf(x,y,z),hold on  
surf(x(1:n-1,:),y(1:n-1,:),s), colorbar
```

Find the matches of the constructed objects (on slide 21) in the proposed code and send your answers by the team or by email TODAY!

3-th: transparent

```
clear; clf  
syms x y;  
Z=x.^2+sin(x).*y.^2  
S=diff(Z,x)  
[x,y]=meshgrid(-8:0.5:8)  
mesh(x,y,eval(S))
```

4-th: fmesh

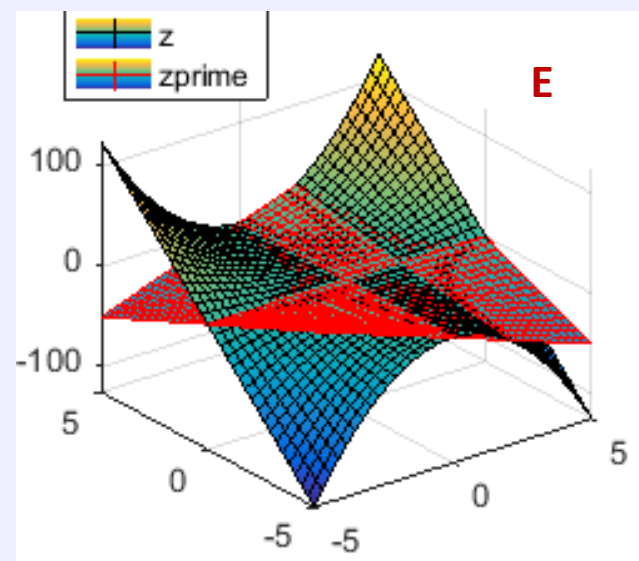
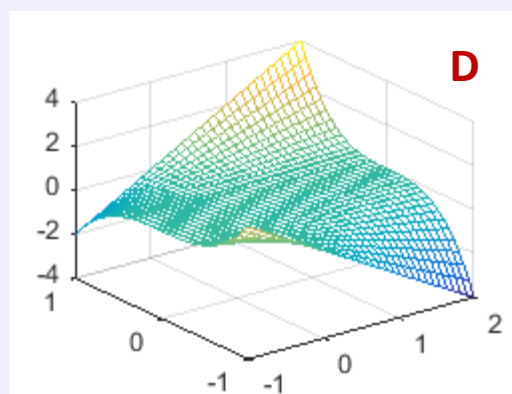
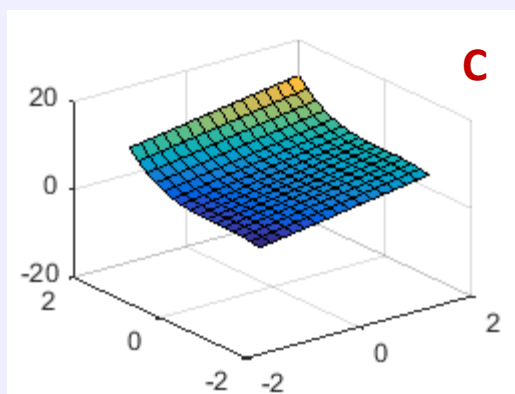
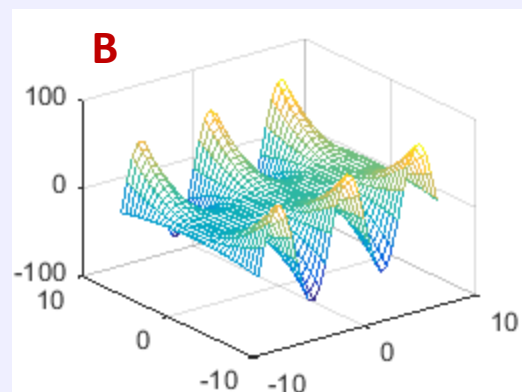
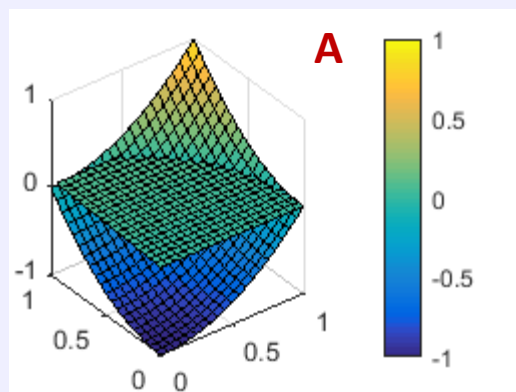
```
clear; clf, syms x y; Z=x^2*y^3,  
Z1=diff(Z,x)  
fmesh(Z1,[-1 2 -1 1]) %[ax bx ay by]
```

5-th: mixed approach

```
clear; clf  
syms x y;  
Z=x^2+x*y^3  
Z1=diff(Z,x)  
[x,y]=meshgrid(-1:0.2:2,-1:0.2:2)  
surf(x,y,eval(vectorize(char(Z1))))
```



Graphs built using the code on slide 20





IMAGE

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```
subplot(1,3,1)
```

```
C = [0 2 4 6; 8 10 12 14; ...  
     16 18 20 22];
```

```
image(C); colorbar % шкала
```

```
load trees % defined by X and map
```

```
% and forest.tif defined by ????
```

```
[X2,map2] = imread('forest.tif');
```

```
subplot(1,3,2), imshow(X,map)
```

```
subplot(1,3,3), imshow(X2,map2)
```

```
% Display a grayscale image, adjust  
(отрегулируйте) the display range
```

```
I = imread('pout.tif');
```

```
h = imshow(I,[0 80]);
```

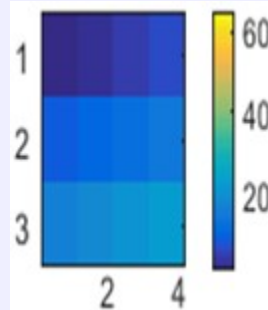
```
% Display a grayscale image
```

```
RI = imref2d(size(I));
```

```
RI.XWorldLimits = [0 3]; % rangeX
```

```
RI.YWorldLimits = [2 5]; % rangeY
```

```
imshow(I,RI);
```



Синтаксис:

% I)reading pfoto *.FMT:

[X,MAP] = imread(FILENAME,FMT)

imshow(X, map) % visualization

% image visualization

image (Y) % given matrix Y

imref2d(size(I)) – binding a 2D image to coordinates

% IN ADDITION!!!

%% Convert to gray color

I = imread('example.tif');

imshow(I) % colored

figure

J = rgb2gray(I);

imshow(J)





Colormap - using

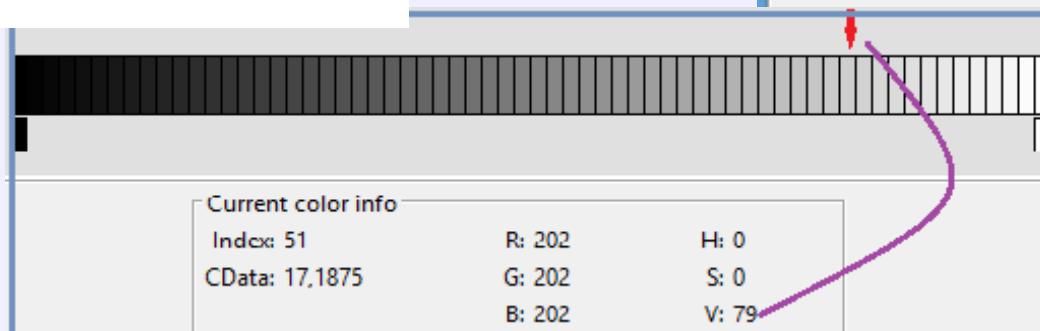
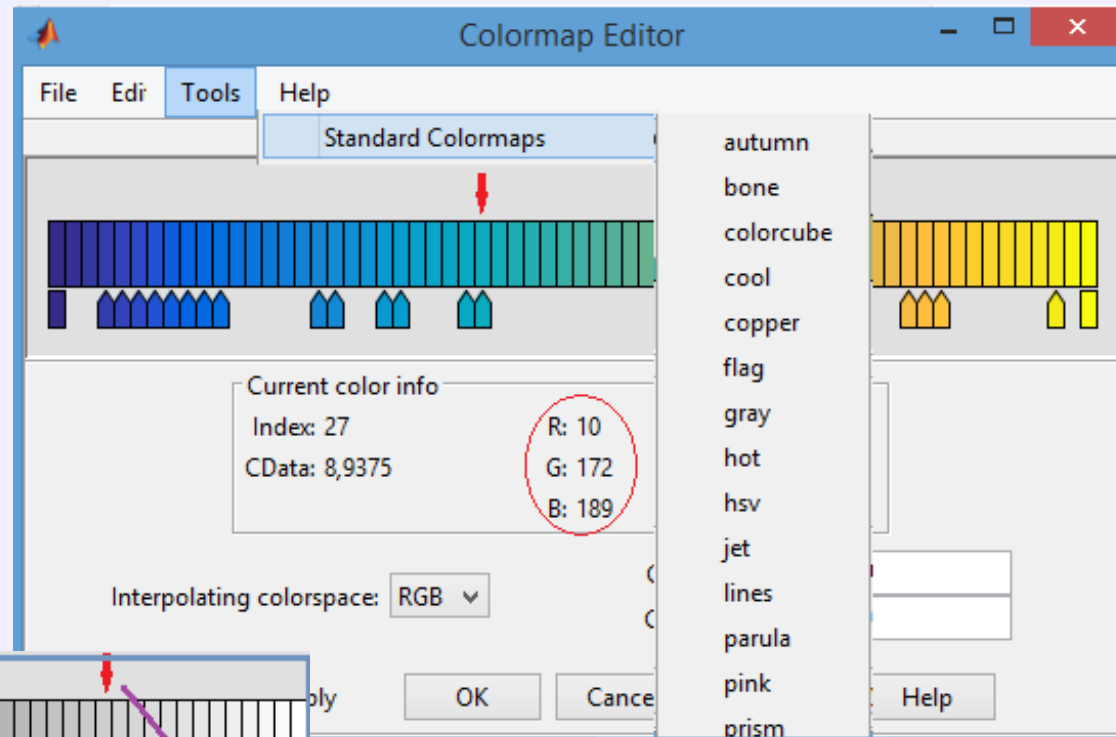
R2023a: MATLAB Online limits image display resolution!

You can set (RGB HSV...) colormap and choose favorite colors. **Interactive!**

>> colormapeditor

HSV - Hue, Saturation Value — tone, saturation, value

```
h = imshow(I,[0 80]); % see slide 20  
% without white color here  
% 80 – max
```





Palette selection and color editor

- **>> colormapeditor**

Enter in the command line - open the palette and color selection editor

- **Define your color**

R – birthday; G- month; B – year, for example, the last two (three) digits

Success to you!



Спасибо за внимание!

“Люди, цветы и бабочки прекрасны своей хрупкостью и разнообразием!” NV

People, flowers and butterflies are beautiful for their fragility and diversity! – it seems to me